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DOCUMENTO DE TRABAJO N° 376

Octubre de 2025

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Citar como:

Brañas-Garza, Pablo, Antonio M. Espín y Diego Jorrat (2025). Paying £1(£5) or Nothing in Dictator Games: Unexpected Differences. Documento de trabajo RedNIE N°376.

Paying £1(£5) or nothing in dictator games:

Unexpected differences

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July 16, 2025

Abstract

We conducted an online Dictator Game experiment (N = 1,195) to test three hypotheses about the role of monetary incentives in prosocial behavior. First, we examined whether real incentives reduce the dispersion of responses compared to hypothetical ones. Surprisingly, we found the opposite: hypothetical responses were less dispersed, with choices clustering around the egalitarian split. This pattern held in a replication (N = 308) with higher stakes (£5), offering no support for the first hypothesis. Second, we tested whether real incentives—by involving actual monetary consequences—lead to more selfish decisions, as they are expected to reveal true preferences. With £1 stakes, no significant differences emerged across conditions. However, when the stake was increased to £5, participants became more selfish under real incentives, supporting the second hypothesis only when the amount at stake is substantial. Third, we explored whether probabilistic payments differ behaviorally from certain ones. At low stakes, probabilistic incentives resembled real ones. But with higher stakes, real and probabilistic outcomes diverged, suggesting participants respond to expected value only when it is meaningful. Finally, in a separate study (N = 299), we found that many participants misunderstood hypothetical-payment instructions. Only explicit phrasing eliminated this confusion, underscoring the importance of precise wording in experimental design.

Keywords: Monetary incentives, egalitarianism, hyper-altruism, selfishness, dictator game.

JEL class.: D64, D91

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1. INTRODUCTION

The debate on using real or hypothetical money to elicit experimental subjects' truthful responses is not new among economists and psychologists (see Camerer & Hogarth, 1999). Experimental psychologists have a long tradition of not paying subjects (or not linking payments to their choices), under the argument that subjects are intrinsically motivated and engage in tasks with dedication and honesty (Camerer & Hogarth, 1999). Conversely, experimental economists argue that without real incentives, subjects may be influenced by demand effects, social desirability, or lack of interest and attention, as financial rewards create a more realistic environment in the laboratory (Rosenboim and Shavit, 2012; Zizzo, 2010). As a result, non-incentivized choices may be biased or random (Carpenter et al., 2005).

The proliferation of online labor markets such as Amazon Mechanical Turk (MTurk; Paolacci and Chandler, 2014) or Prolific Academic (PA; Palan and Schitter, 2018) has introduced a new dimension to this debate, as researchers are increasingly conducting online economic experiments with low-stakes incentives. While these experiments typically involve the use of real money, the stakes are often set at small amounts such as \$1, £1, or even less. This raises the question of whether the use of low stakes in online settings is really incentivizing anything and, moreover, whether it leads to different behavioral outcomes as compared to the use of purely hypothetical rewards.

This paper investigates the case of social preferences: do hypothetical rewards elicit different social behavior than real but small monetary rewards in online experiments? While several scholars have addressed this question previously, most have compared behavior in Dictator Games (DG) with no stakes and traditional stakes (ranging between \$5 and \$10) in laboratory settings. Amir et al. (2012) remains, to date, the only study comparing hypothetical and real low-stakes decisions in the context of online experiments.¹ The continued expansion of online experimental research—particularly with representative and non-'standard' samples—highlights the growing importance of this question.

Returning to the question of incentives themselves, the results of existing studies are somewhat mixed. Some suggest that real payoffs induce selfishness while hypothetical settings promote egalitarian choices (Sefton, 1992; Forsythe et al., 1994; Dana et al., 2007; Amir et al., 2012; Clot et al., 2018), which is consistent with the existence of social desirability concerns or demand effects that are alleviated when giving has a real cost. However, not all have found these results: Ben-Ner and Kramer (2008) found no significant differences in DG between real payments and purely hypothetical scenarios.

¹ This paper uses four games (Dictator Game, Ultimatum Game, Trust Game, and Public Goods Game) and two incentive schemes (Real and Hypothetical), with a total sample of $N = 756$. Participants are randomly assigned to one of the eight experimental arms. The paper focuses on average giving and pays little attention to the dispersion of responses.

Bühren and Kundt (2015) reported similar results using three mini-dictator games, as did Locey et al. (2011) in the context of social discounting.²

To provide a more definitive answer on the causal effect of real vs. hypothetical low stakes incentives on social preferences we ran a well-powered DG online experiment. We recruited 1,195 subjects using PA. Each participant had to decide how to split £1 with another anonymous participant and was randomly assigned to one of three treatments with equal probability (1/3): the Real money treatment (R), where every participant received a payment; the Between-Subjects Random Incentivized System or BRIS treatment (B), where 1 out of every 10 subjects received a payment; and the Hypothetical treatment (H), where no payment was provided. Moreover, to gain deeper insight into the impact of incentives—in other words, to assess whether participants perceive £1 as a small amount and thus behave as if the decision were hypothetical—we conducted a replication in which the monetary stakes were increased fivefold, to £5. This experiment was also run on Prolific ($N = 308$), with the same payment conditions as in the original design: R, B or H.

What is the purpose of including the BRIS treatment in the study? It was introduced to test whether (the size of) expected earnings matter or it is the mere existence of monetary incentives that causes any shift in behavior with respect to a purely hypothetical condition. In addition to the above, experiments using probabilistic incentives have become increasingly common, both within and beyond the field—and in particular, the one-out-of-ten payment scheme is the most widely used protocol (e.g., Charness et al., 2016, Exadaktylos et al., 2013). According to a recent meta-analysis of DG lab experiments with student samples comparing Real and BRIS conditions, the two treatments with monetary incentives, should result in similar behavior (Umer, 2023; see Clot et al., 2018, for a direct test). Yet this has not been tested in a DG online experiment with non-student participants.³

Based on previous literature, our main predictions were that (i) treatment H would result in more disperse, noisier data than B and R, owing to more erratic or low-effort decision-making in the absence of real incentives (Camerer & Hogarth, 1999); (ii) treatment H would lead to more generous donations than B and, especially, R, as the cost of socially desirable behavior is zero; and (iii) donations in treatments B and R would be rather similar, as both involve real (expected) payoffs.

To analyze the data, we adopted a conservative and comprehensive approach. In addition to comparing the mean and SD of giving across treatments, as most of the literature has done, we also examined specific patterns of behavior: selfishness (giving = 0%), egalitarianism (giving = 50%), and hyper-altruism (giving = 100%). Furthermore, we introduced different levels of "trembling", i.e., small deviations from these three distribution rules, to account for potential errors in decision-making. This approach

² There are other papers testing the effect of hypothetical vs. real payoffs on different measurements. For instance, Brañas-Garza et al. (2021a) tested incentives for risk taking in three countries, whereas Brañas-Garza et al. (2023) did similarly for time preferences in three settings: Lab, Field and Online.

³ Interestingly Ahles et al., 2024, find no differences in bidding between a fully incentivized condition (R) and either 1/10 or 1/100 BRIS in willingness-to-pay online experiments.

allows us to gain a more nuanced understanding of participants' behavior across treatments and to better capture any variation in social preferences that might otherwise be masked by small decision-making errors, especially when stakes are low. Our results can be summarized as follows.

The first hypothesis posited that real incentives would reduce the dispersion of responses compared to hypothetical ones, as the presence of actual consequences was expected to induce more consistent, deliberate behavior. Surprisingly, we found the opposite: responses in the hypothetical condition were less dispersed, with choices clustering tightly around the egalitarian split.⁴ This unexpected pattern held in the £5 replication, offering no support for Hypothesis 1.

The second hypothesis proposed that real incentives would lead to more selfish decisions, under the assumption that actual monetary consequences reveal participants' true preferences. With £1 at stake, we observed no significant differences in giving across treatments. However, when the stake was increased to £5, participants in the real incentive condition behaved more selfishly than those in the hypothetical or probabilistic conditions. These results support Hypothesis 2, but only when the amount at stake is sufficiently large to be perceived as meaningful.

The third hypothesis focused on whether probabilistic payments differ behaviorally from certain real incentives. At low stakes, behavior under BRIS resembled that in the real condition, which in turn was similar to the Hypothetical one. This suggests two possible interpretations: either participants in the BRIS condition behave like those in the real one, or—more plausibly—participants in the real condition perceive the low incentive (£1) as too small to affect their behavior, effectively treating it as if it were hypothetical. This second explanation gains support when stakes are increased to £5: participants under Real incentives begin to diverge from those in the BRIS condition, indicating that they respond to the higher incentive, while BRIS participants (facing a 1-in-10 chance of £5, i.e., an expected value of 50 pence) still behave as if the incentive were hypothetical. This supports Hypothesis 3 in a stake-dependent manner.

Independently of the above, another possible explanation is that participants may not fully understand the concept⁵ of “hypothetical”. To explore this, we conducted an additional experiment (also in PA, $N=299$) where participants were given one of three types of instructions: in one, the decision was framed as an imaginary situation; in another, the word “hypothetical” was explicitly used to refer to payments, as in our previous experiments; and in the third, it was clearly stated that no real money would be earned. The results suggest that participants are quite naïve about payment conditions: in the version where the word ‘hypothetical’ was explicitly mentioned, only about 30% understood that no real payment was involved. The misunderstanding was

⁴ Note, however, that one could reach the opposite prediction in the specific context of the dictator game. If monetary incentives are removed, the dominant response for inequity averse individuals could be to donate exactly 50% (or even 100% if they would otherwise give above 50%), thus reducing dispersion. We thank Reviewer #2 for highlighting this alternative interpretation.

⁵ This idea was suggested by Reviewer #1, to whom we are very grateful.

even more pronounced in the imaginary framing, where just 10% correctly recognized the absence of monetary incentives.

The contribution of this paper is twofold. First, we revisit the distinction between hypothetical and real (low stakes) incentives by introducing a benchmark treatment with more conventional laboratory stakes (£5). We show that some of the null effects observed under £1 stakes disappear when the amount increases: specifically, selfish behavior rises and egalitarian responses decline in the real-money condition, while giving in the BRIS and hypothetical treatments remains largely unchanged. This suggests that low-stakes “real” treatments may resemble hypothetical ones not because monetary incentives are irrelevant, but because they are too small to be perceived as meaningful — a nuance often overlooked in existing meta-analyses and in studies that rely on a single stake level. It is also worth highlighting that our study uses a general population sample rather than university students — the kind of sample increasingly used in experimental research with policy relevance.

Second, we directly address a long-standing methodological concern by conducting a survey experiment to test whether participants understand what “hypothetical” means in the context of experimental payments. A majority of respondents believe there is some chance of being paid, even when the instructions explicitly state otherwise. Moreover, giving in the dictator game correlates more strongly with these beliefs than with the actual instructions participants received. This suggests that perceived incentives — rather than merely the phrasing of instructions — are what shape donation behavior. These findings open up a promising line of research that deserves further investigation.

The rest of the paper is organized as follows. Section 2 describes the protocol, the sample, our working hypotheses, and the empirical strategy for the main experiment. Section 3 presents its results, section 4 reports the replication using a £5 stake, and section 5 presents the results of a new experiment that investigates the phrasing used in the instructions regarding hypothetical payments. Section 6 discusses the findings and concludes.

2. MATERIALS AND METHODS

Protocols and sample

The experiment was conducted using Prolific Academic (PA), a platform to recruit participants for online studies. There are certain advantages of running experiments using PA (and similar sites): it reduces costs and allows researchers to recruit a large and heterogeneous sample (as opposed to standard experimental subjects, see Exadaktylos et al., 2013). However, the downside is the lack of control, as we do not know what subjects are doing when they participate in the experiment, and participants may be professional subjects or "lab rats" (Guillen et al., 2012). Yet, recent evidence suggests that data from online experiments using these platforms are reliable (Horton et al., 2011; Rand, 2012; Arechar et al., 2018) and that the lack of control is not so problematic (Prissé and Jorrat, 2022).

The experiment was published on PA on July 15th 2021 at 21:30 CET and ended four hours later, having gathered 1,195 participants. The experiment consisted of three parts: a discounting task to elicit time preferences following the design of Collier and Williams (1999), a task to elicit risk preferences based on Holt and Laury (2002), and a Dictator Game (DG) task.⁶ See the experimental instructions in Appendix B for details.

We only invited UK residents to participate since this is the country with the largest number of potential participants in the platform. Additionally, we pre-screened the subjects based on having available data on education, gender, and different socioeconomic questions to avoid losing observations with respect to the control variables. Table 1 provides summary statistics for these variables and subjects' choices in the experimental tasks preceding the DG.

In the DG, subjects were asked to divide £1 between themselves and another randomly selected anonymous participant, in £0.1 increments. We implemented a dual-role protocol with a known probability of being the recipient or the dictator of 50%.

Table 1: Summary statistics of participants' characteristics.

	Obs	Mean	Std. dev.	Min	Max
<i>female</i>	1,195	0.631	0.483	0	1
<i>age</i>	1,195	32.238	11.924	18	77
<i>education</i>	1,194	2.905	1.514	0	6
<i>SES</i>	1,195	5.147	1.569	1	10
<i>charity</i>	1,195	2.529	1.424	1	7
<i>risky choices</i>	1,195	5.433	2.355	0	10
<i>patient choices</i>	1,195	9.064	6.385	0	20

Note: Education is a categorical variable (taking values from 0 to 6 for simplicity, from no formal education to doctorate degree) which refers to the highest education level. SES reflects the Socio-

⁶ The randomization happened at the beginning of the experiment (time preferences) and treatment assignment remained the same along the entire session. The three tasks appeared in the same order being the DG always the last. More information on the time preferences experiment can be found in Brañas-Garza et al. (2023), studies III and IV. We also note that the experiment and the working hypotheses were not pre-registered, as it formed part of a broader study involving time and risk preference tasks.

economic status using the position in the income ladder (scale from 1 to 10). Charity refers to a self-reported categorical variable that reflects different amounts of donations (in ascending order) made in the last year. Risky choices refers to the number of risky options chosen in the Holt-Laury task (in which participants had to choose between a safer and a riskier lottery), while patient choices refers to the number of later-larger allocations in the time discounting task (in which participants had to choose between a sooner smaller amount of money and a later but larger amount).

All the participants received a fixed participation fee of £1.2, which was adjusted to a 10-minute experiment according to PA's recommendations. Those selected for real payments (including those randomly selected in the BRIS treatment) received a bonus payment based on their decision in the DG. Participants were fully informed of their payment scheme.

At the beginning of the experiment, participants were randomly assigned to treatments R, B, or H, each with a probability of $1/3$. The resulting sample sizes for each treatment were $n_R=380$, $n_B=406$, $n_H=409$. The average age was 32.2 years, 63.1% females. Regarding education, most participants had completed either secondary education (40.2%) or had an undergraduate degree (46.1%). Table A1 of the Appendix reveals that the treatments were homogenous in terms of sociodemographic characteristics and subjects' choices in the previous experimental tasks, using Westfall and Young's (1993) p-values correction for multiple testing.

Working hypotheses

The hypotheses to be tested arise from previous literature and are related to whether monetary incentives yield different giving behavior as compared to hypothetical incentives when low stakes are at play. First, we expected less noise and therefore less dispersion in the data when money is involved, as people may not take hypothetical scenarios seriously and may randomize their responses more. In addition, donations in the treatments involving actual money were expected to be smaller than in the hypothetical condition because being generous (or giving the impression of being generous as a socially desirable behavior) in the former involves a cost while in the latter is free. Finally, we expected similar donations in the two treatments involving actual money because some probability of being paid for real is thought to be enough to counteract social desirability incentives or demand effects.

In summary, we test the following three main hypotheses:

Hypothesis 1: Monetary incentives (R&B) with low stakes cause subjects' donation decisions to be less dispersed than using hypothetical incentives (H).

Hypothesis 2: Monetary incentives (R&B) with low stakes lead subjects to donate less money than using hypothetical incentives (H).

Hypothesis 3: Donations in the two monetary conditions (R&B) do not differ.

Empirical strategy

In addition to studying differences in averages and SDs between the three treatments, we focus on specific types of donation behavior. We start by considering the extreme cases:

- selfish ($giving = 0$),
- egalitarian ($giving = 0.5$) and,
- hyper-altruistic or "saint" ($giving = 1$).

From there, we introduce "trembling hand" cases, allowing first a decision-making error of $t = \pm 0.1$, and then a larger error of $2t = \pm 0.2$. From this, we derive nine measures which are described in Table 2.

Table 2: Types of behavior by trembling

No trembling	Trembling	Large trembling
<i>selfish</i> ($g = 0$)	<i>t.selfish</i> ($g \leq 0.1$)	<i>2t.selfish</i> ($g \leq 0.2$)
<i>egalitarian</i> ($g = 0.5$)	<i>t.egalitarian</i> ($0.4 \leq g \leq 0.6$)	<i>2t.egalitarian</i> ($0.3 \leq g \leq 0.7$)
<i>saint</i> ($g = 1$)	<i>t.saint</i> ($0.9 \leq g \leq 1$)	<i>2t.saint</i> ($0.8 \leq g \leq 1$)

3. RESULTS

Before moving on to the main results, it is important to mention some descriptive results from our experiment. Interestingly, the mean donation in our sample is around 42% of the pie, which is comparatively rather high. Note that Engel's (2011) meta-analysis of lab experiments shows an average donation of 28.3% of the pie, while Brañas-Garza et al. (2018) found an average of 30.8%. Our data show that the fraction of subjects giving half of the pie is substantial (>60%), but even more remarkable is the very low fraction, about 10%, of purely selfish choices (compared the 30% found in Brañas-Garza et al., 2018, using MTurk).

One might think that the dual-role protocol — where the probability of being either the dictator or the recipient is 50% — could explain this: if participants are Rawlsian, uncertainty might lead them to favor a more equal distribution. However, beliefs matter in this case. Since the counterpart's decision is relevant 50% of the time, they might assume that their counterpart is selfish and therefore respond selfishly as well to achieve an (expected) equal distribution. See also footnote 3.

Moreover, if we take $p=1/2$ as in the "social image" model of Andreoni & Bernheim (2009), the participant could use this uncertainty as a form of moral cover — behaving selfishly while justifying it due to the uncertainty. In sum, there is little evidence that the dual-role protocol leads to greater generosity — if anything, the opposite may be true.

In fact, in a previous study where we also used the dual-role protocol, the average giving was 32.4% out of €5 (Brañas-Garza et al., 2013).

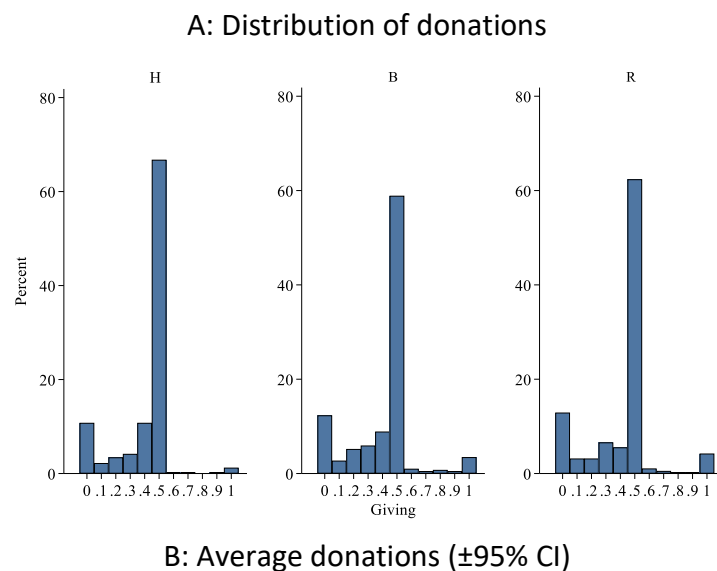
Therefore, it seems reasonable to think that the size of the incentive helps explain why average giving is around 40% instead of 30%. All of this is consistent with studies showing that DG giving decreases with higher stakes (see Brañas-Garza et al., 2021b; Larney et al., 2019). While all of the above is true, we also should not rule out the possibility that PA participants are simply kinder than participants from other (online) platforms.

Testing predictions: Dispersion of the data

Panel A of Figure 1 shows the distribution of the variable giving for each treatment. While the three distributions are statistically similar (we do not reject the null hypothesis that the three distributions are equal in a Kolmogorov–Smirnov test, $p > 0.50$), it seems that donations are more concentrated around the equal distribution (giving = 0.5) in the hypothetical treatment H than in the two monetary treatments R and B. Indeed, when comparing the dispersion of the data between H and R or between H and B, a Levene's test rejects the null hypothesis of equal variance in both cases, with H displaying lower SD (both $p < 0.01$).

Overall, our data fully contradict Hypothesis 1, as we observe that the dispersion is lower for H than for the treatments involving actual money. The comparison of H vs. R & B (i.e., the two incentivized treatments combined) yields the same conclusion ($p < 0.01$).

Result 1: Hypothetical donations are less dispersed than real and one-out-of-ten BRIS incentivized donations in the £1-DG.



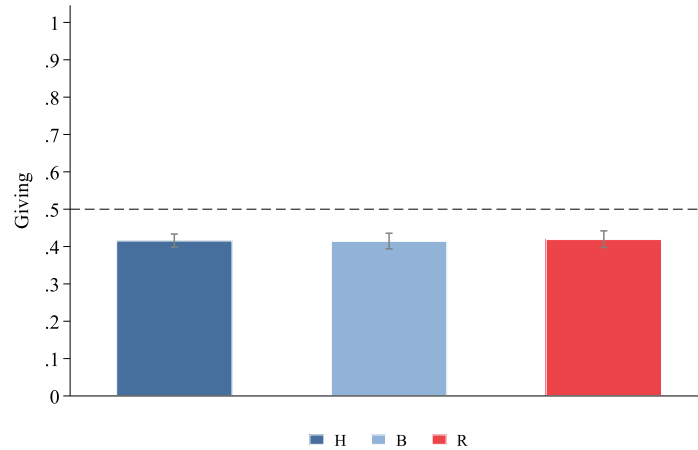


Figure 1: £1-DG average donations by treatment.
The dashed line represents the equal division.

Testing predictions: Average donations and behavioral types

Before moving to the regression analysis, Panel B of Figure 1 displays the average donations across treatments. Although we will test this below using regression analysis, average giving looks nearly identical in the three cases. In fact, a t-test confirms this result ($p > 0.75$).

Figure 2 presents the regression results for average giving and the nine behavioral types defined earlier (which will be analyzed in detail in the next subsection). All the regressions control for age, gender, education, risky and patient choices, SES status, and self-reported donations to charity. Each point represents the estimated coefficient of the dummy variable H ($\pm 95\%$ CI) denoting the hypothetical treatment. Panels A, B, and C of Figure 2 compare H against R, B, and R and B combined (R & B), respectively. Complete regression results are presented in Tables A2, A3, and A4 in the Appendix. In all cases, we further computed the p-value of the coefficient of H adjusted for multiple testing (hereafter, $\text{adj-}p$) using the free step-down resampling method of Westfall and Young (1993), following the Jones et al. (2019) procedure.

As could be inferred from panel B of Figure 1, the regression analysis summarized in Figure 2 indicates that there are no significant differences between treatments in average donations: *giving* (g) (all $p > 0.75$ and $\text{adj-}p > 0.80$; see Figure 2 and Tables A2 to A4 for regression results).

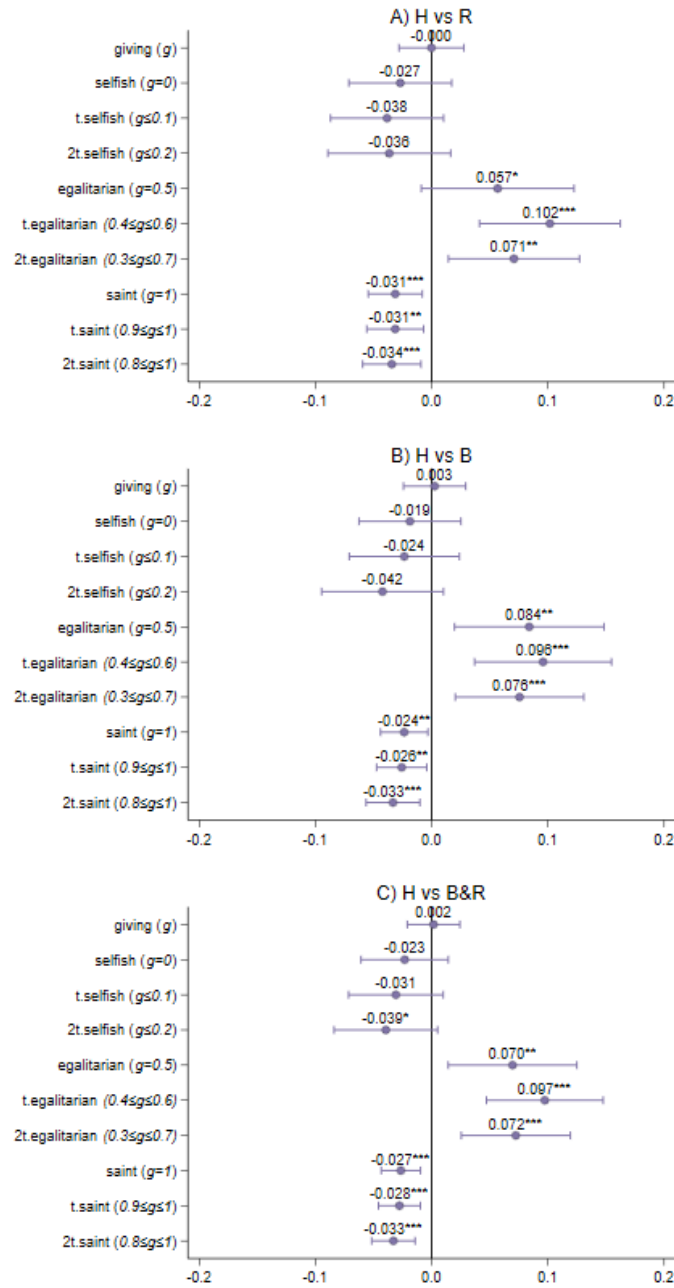


Figure 2: Regression results for £1-DG. Point estimates denote the coefficient of H. All the regressions control for age, gender, education, risky and patient choices, SES status, and self-reported donations to charity. Asterisks denote significance levels: *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

These results therefore do not support Hypothesis 2, which predicts higher donations in the hypothetical treatment:

Result 2: Subjects with monetary incentives do not behave more selfishly than those with hypothetical incentives in the £1-DG.

In the following analysis, we want to see if there is more to the distributions beyond the mean, and we focus on the "types". Here we focus on the nine behavioral types arising from the three main categories (selfish, egalitarian, and saint) and their three trembling cases. As can be seen in Figure 2, the coefficient of H is never significant at the 5% level for the selfish or the trembling selfish types, when compared against either R, B, or R&B (all nine comparisons yield negative effects between 2 and 4 percentage points, all $p > 0.08$ and $adj-p > 0.19$).

For the egalitarian case, H is significant in eight out of nine comparisons (all $p < 0.05$ and $adj-p < 0.06$), with positive effects ranging from 6 to 10 percentage points. The exception is the non-trembling definition when compared against R, which, although marginally significant at the 10% level ($p = 0.09$), is not significant after adjusting for multiple testing ($adj-p > 0.20$). Finally, for the saint category, H is always negative and significant, although the effects are very small (between 2 and 3 percentage points, all $p < 0.05$).

The regressions results suggest that when payments are hypothetical, subjects' choices tend to cluster around the center, i.e. the egalitarian distribution. This result is not new but, in contrast to what others have shown in the past (e.g., Forsythe et al., 1994), the concentration of data around the 50/50 split in the hypothetical condition is not at the expense of selfish responses but of hyper-altruistic behavior ("saints").

Result 2b: Hypothetical donations do not yield a different proportion of selfish allocations but yield more egalitarian and less hyper-altruistic allocations than incentivized decisions in the £1-DG.

Testing predictions: Real vs BRIS incentives

Now we analyze Hypothesis 3, which states that there are no differences in behavior when we use real versus probabilistic incentives. As we have already seen in panel B of Figure 1, R and B have the same average ($p > 0.75$, see also Figure 3 and Table A5) and the same dispersion – SDs are similar ($p = 0.32$). Hence, we can conclude that Hypothesis 3 is not rejected.

Once again, we aim to study behavior types in depth beyond the mean. To this end, Figure 3, just as Figure 2 did, examines the estimates for the coefficient of R (vs. B). Full estimates can be found in Table A5 in the Appendix. Our results clearly indicate that paying one randomly selected participant out of every ten does not make any difference with respect to paying all participants. All nine comparisons are largely insignificant (all $p > 0.40$ and $adj-p > 0.90$). Therefore, we conclude:

Result 3: Real and one-out-of-ten BRIS incentives yield similar proportions of selfish, egalitarian, and hyper-altruistic choices in the £1-DG.

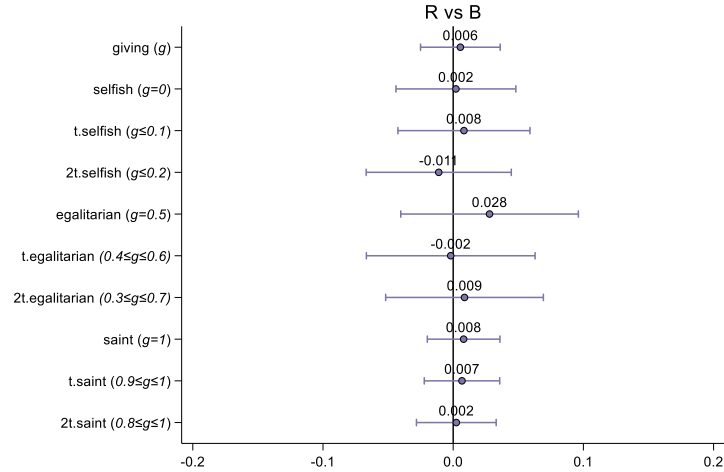


Figure 3: Regression results for £1-DG. Point estimates denote the coefficient of R. All the regressions control for age, female, education, risky and patient choices, SES status and the self-reported donations to charity. Asterisks denote significance levels: *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

4. REPLICATION FOR £5 PIES

On June 26th 2025, we conducted a replication of the original experiment with the only difference being the size of the pie to be divided: £5 instead of £1. The instructions were the same, the platform was the same (PA), and the sample selection criteria remained unchanged. Unlike the original £1 experiment, the £5 replication did not include time or risk preference tasks, and the Dictator Game was presented immediately after the initial instructions.⁷ The sample consisted of 308 participants who were assigned to treatment H, B, or R with a probability of $1/3$. The resulting sample sizes for each treatment were $n_H=103$, $n_B=103$ and $n_R=102$. The average age of participants was 44.8 years, with 43.8% being female. Table C1 in Appendix C shows that all covariates are generally balanced across treatments.⁸

Figure 4 shows the distribution of responses for each of the treatments. Before discussing the treatments, it is worth noting that in both conditions H and B, the average donation is approximately £2 out of £5 — that is, 40% of the pie. This average is quite like what we observed, somewhat surprisingly, in Figure 1. In other words, PA participants appear to be fairly "altruistic," at least compared to other experimental subjects (see Exadaktylos et al., 2013).

Using the data from this replication, we can test our original hypotheses. Our first hypothesis refers to the idea that responses under real incentives are less dispersed than

⁷ This change allows us to test whether the original findings might have been influenced by task order or by the broader context of the session. As shown below, the results for the BRIS and hypothetical treatments are consistent with the original experiment, while behavior in the real-money condition becomes more selfish — suggesting that stake size, rather than task order, is the key driver of the differences observed.

⁸ Except for socioeconomic status. Participants in the B treatment report a lower status, and this difference is statistically significant at the 5% level.

hypothetical ones. If we look at Panel A of Figure 4, the distributions in the H and B conditions are statistically indistinguishable from one another (Kolmogorov–Smirnov test, $p = 1.00$), but both differ significantly from the distribution in the Real (R) condition ($p < 0.01$ in both cases). As before, we use Levene’s tests to compare the dispersion of responses across conditions. When comparing H and R, the test rejects the null hypothesis of equal variances, with H displaying significantly lower SD ($p < 0.01$). A similar result holds for the comparison between B and R, with B also showing significantly lower variance ($p < 0.01$). In contrast, the variances in H and B are statistically indistinguishable ($p = 0.76$).

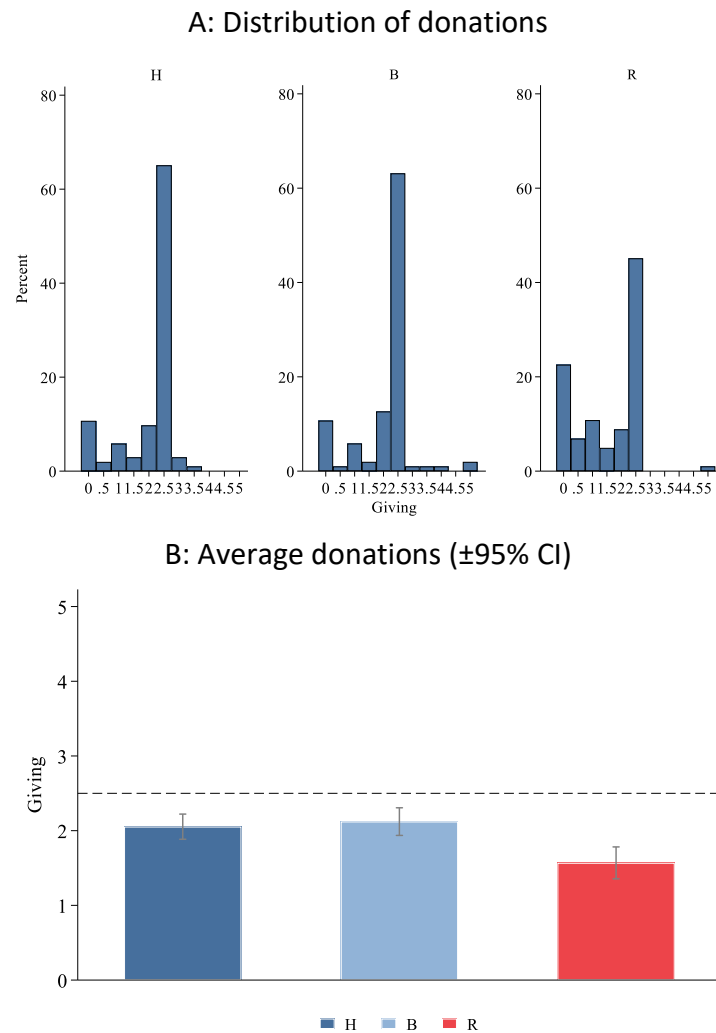


Figure 4: £5-DG average donations by treatment.
The dashed line represents the equal division.

Therefore, consistent with Result 1, the replication confirms that variance is smaller in the hypothetical condition. Hypothesis 1 is thus rejected: incentivized responses are not less dispersed than hypothetical ones.

The second hypothesis refers to the idea that participants with monetary incentives (R & B) will donate less than those in the hypothetical condition (H). Panel B of Figure 4 shows that dictators in the Real condition indeed donate less (£1.57, 31.4% of the

endowment) than those in the Hypothetical condition (£2.05, 41.1%), and this difference is statistically significant (t-test, $p < 0.01$). However, participants under the BRIS mechanism do not behave as predicted by H2; instead, they behave as if they were in the Hypothetical condition, donating on average £2.12 (42.4%; $p = 0.59$), which is significantly more than in R ($p < 0.01$). Tables C2 to C5 replicate the regression results and confirm these results.

In other words, the dictators under Real incentives group behave as expected – thus supporting H2 – but those under BRIS do not seem to perceive the monetary component of their decisions and end up donating the same as the hypothetical group – against H2. Therefore, Hypothesis 3 – which states that donations in the two monetary conditions (R & B) do not differ – is clearly rejected.

In Appendix C, we replicate the same comprehensive analysis conducted previously (Figures 2 and 3) using data from the new sample, where the pie size was increased to £5. When we compare behavior across the full set of measures reported in Table 2, we see that observations from the R sample clearly lean toward selfish solutions to the problem, while the H participants behave in a more egalitarian way. In other words, all the metrics shown in Figure C1 are consistent with the results from Figure 4. Besides, the comparison between B and R (Figure C2) provides compelling evidence against H3.

5. DO SUBJECTS UNDERSTAND HYPOTHETICAL PAYOFFS?

In the final section of the paper, we ask whether *participants in H truly understand the hypothetical nature of the payment* – that is, whether the instructions lead them to believe that there is no real money involved. It is possible that participants are, for example, so engaged with the task that they are unaware their hypothetical decisions carry no financial consequences. This could explain the results of the £1 experiment, where there were no differences between paying or not paying participants.

Taking papers in the literature that employ hypothetical payments (Johnson & Bickel, 2002; Ben-Ner, et al., 2008 and 2009; Locey, et al., 2011; Bürhen & Kundt, 2015; Bechler, et al., 2015; Thielmann, et al., 2016), we classified their instructions as follows:

- H: Participants are explicitly told that payments are hypothetical.
- I: No mention of payment is made; instead, imaginative framing is used (e.g., "imagine you are making a decision where you divide a pie...").
- NotR: Participants are told something like "Unfortunately, the money you earn is not real..."

On July 9th 2025, we launched this experiment on PA with 299 new participants ($n_H=101$, $n_I=100$, $n_{NotR}=98$). Participants faced a DG identical to the one used in the £5 condition, but the instructions followed one of the H, I, or NotR formats (see Appendix D for the exact wording used in each treatment). After reading the DG instructions and before making their decision, participants were asked:

How likely do you think it is that either you or the other person will actually receive real money from this allocation task?

Please answer on a scale from 0% to 100%, where 0% means "absolutely no chance" and 100% means "completely certain".

0 10 20 30 40 50 60 70 80 90 100



Figure 5: Question about the probability of being paid (slider). The slider initially appeared at 0. However, if participants attempted to proceed without moving it, a prompt required them to provide a response

The Cumulative Distribution Function (CDF) for each of the treatments is shown in Figure 6. Inside the figure (bottom right), we also display the average response along with its 95% confidence interval. Recall that if participants understood that the payment was hypothetical, they should report a number close to zero — though we accept there may be some noise due to the mechanism (e.g., trembling-hand errors).

Figure 6 leaves little doubt on this matter. Participants in the "*imagine that you...*" (I) treatment appear not to grasp the hypothetical nature of the task. On average, they assign a 40% probability to being using real money, and only 10% of them expected no real payments. The statement "*payments are hypothetical*" (H) also seems insufficiently clear, as participants still report an average of 30% chance of being playing with real money. It is also concerning that less than 30% of participants in that condition expect no real payments. Only the wording "*Unfortunately, the money you earn is not real...*" (NotR) seems to achieve the intended effect: on average, these participants assign just a 10% probability to the existence of real payments, and 70% believe there is no actual money.

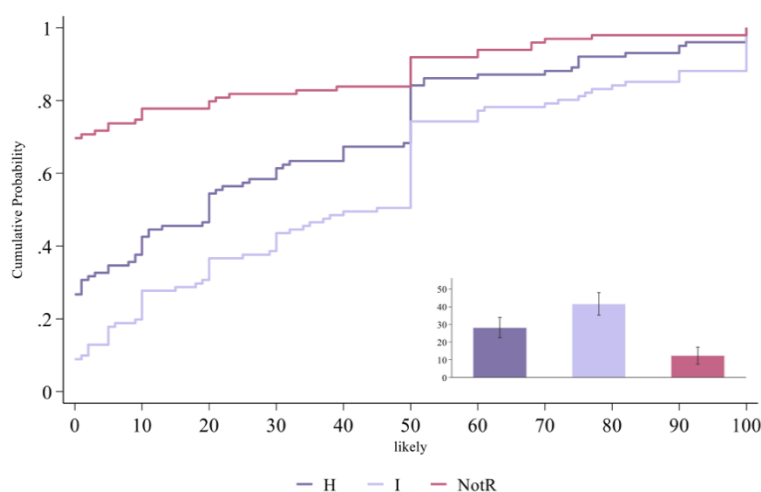


Figure 6: Expected likelihood that payments are real: CDF by treatment. The small, embedded figure shows the mean ($\pm 95\%$ CI) response in each treatment.

And what about our own instructions for the £1 and £5 experiments? They fall under the category where participants are explicitly told that payments are hypothetical. Based on the result we just observed, less than 30% of participants in experiments using the term "hypothetical" assumed they were playing with no real money. This leads us into somewhat murky territory, as in neither the £1 nor the £5 experiment do we truly know what participants expected in terms of payment (regardless of the hypothetical nature of the task).

However, for these 299 participants, we do know both their perceived probability of being using real money and their actual donation in the (supposedly) hypothetical DG. Using participants' self-reported beliefs, regardless of what type of instructions they saw, we classified them into three groups: Hypothetical, BRIS, and Real. Participants who reported a 0% likelihood of being playing with real money were classified as Hypothetical ($L = 0$, hereafter L: H), those who reported 100% as Real ($L = 1 \rightarrow$ L: R), and those in between as BRIS ($0 < L < 1 \rightarrow$ L: BRIS). The subgroup sizes were quite unbalanced – L: H = 104 subjects (34.8%), L: BRIS = 177 (59.2%), L: R = 18 (6.0%). Similarly as we did before for giving, we applied a trembling-hand criterion allowing a 10% margin of error to L: H and L: R, leading to L: t.H = 147 (49.2%), L: t.BRIS = 128 (42.8%), L: t.R = 24 (8.0%).⁹

As in previous Figure 4B, we now examine the impact of the payment scheme – in this case the "perceived" payment – on donation behavior. Unlike Figure 4B, however, Figure 7 presents donation outcomes based on participants' beliefs about the likelihood of being playing with real money from the instructions, not the actual wording.¹⁰ Importantly, all participants received hypothetical instructions (see Figure 6), but their interpretations varied considerably. For the central part of Figure 7, we use the trembling-hand classification (L: t.H, t.B, t.R), as it includes more balanced groups. In the top-right corner, we replicate the same graph using the non-trembling data (L: H, B, R).

The results are qualitatively similar to those shown in Figure 4B: participants classified as H and BRIS donate the same amount on average, while those in the R group donate less on average. Although the differences are not statistically significant ($p > 0.25$) – due to the small number of observations particularly in the L: t.R (or L: R) group and the large standard errors – the pattern is clear: participants in the £5 hypothetical DG who believe they will be paid with $p = 1$ give less, similarly as those in the real-payment £5 DG given less than in the hypothetical or BRIS £5 DGs.

⁹ Here thus, $0 \leq L \leq 0.1 \rightarrow$ L: t.H; $0.1 < L < 0.9 \rightarrow$ L: t.BRIS; $0.9 \leq L \leq 1 \rightarrow$ L: t.R.

¹⁰ Average giving across treatments was: $\mu_H = £1.64$, $\mu_I = £1.82$, and $\mu_{NotR} = £2.03$. The only statistically significant difference was between the H and NotR conditions ($p = 0.01$).

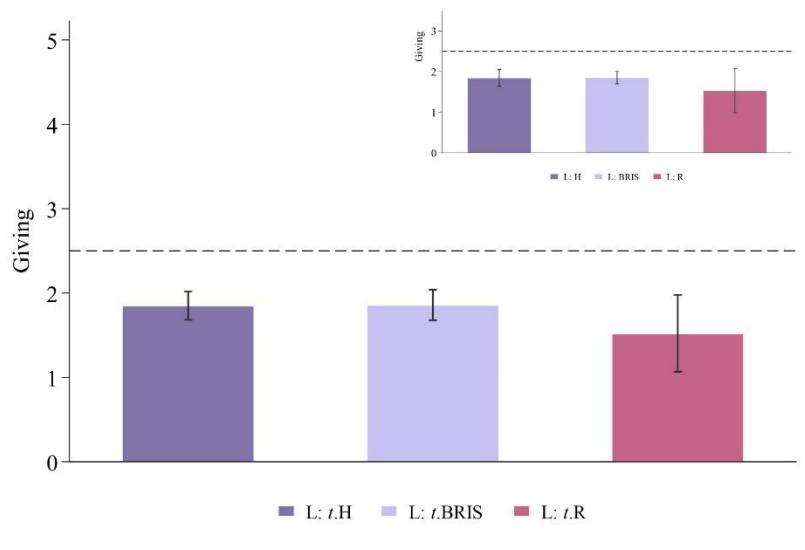


Figure 7: £5-DG average donations by types of expected real-payment likelihood.

The dashed line represents the equal division. The small, embedded figure shows the non-trembling data.

This result is, on the one hand, completely unexpected—but on the other, entirely consistent with our earlier findings. Moreover, it opens up a largely unexplored line of research: the strength of personal beliefs relative to written instructions. One might assume that participants simply did not read or forgot the instructions, but we know that is not the case. It is important to note that an attention check was included at the very end of the study, and 295 out of 299 participants answered it correctly (98.66%). Therefore, the results we find here *do not appear to be due to inattention*. In any case, failing the attention check is not correlated with beliefs ($r = 0.06$, $p = 0.250$). See Appendix for details about the attention check.

We also elicited second-order (incentivized) beliefs¹¹ where participants guessed what others thought regarding whether the payments might be real, in particular, the modal response. Figure E1 replicates the same analysis as Figure 7 but categorizes participants according to these second-order beliefs: (G: H, B, R) – and replicated for those with trembling (G: t.H, t.B, t.R). Figure E1 displays a similar pattern as Figure 7—both the main figure and the inset. Just as with first-order beliefs, in second-order beliefs we also find that H and B are identical, while R is lower but with large standard error due to the small sample size. This result reinforces the idea that what we observed in Figure 7 is not a coincidence. Moreover, participants' own beliefs and their second-order beliefs are strongly correlated ($r = 0.62$, $p < 0.01$).

In summary, a large proportion of participants—except in the "money you earn is not real" condition—believe they are playing with potentially real money, despite the instructions explicitly stating otherwise. While this is surprising in itself, what is even more striking is that participants behave in the DG exactly as their payment beliefs

¹¹ We paid £1 for correct predictions and 50p if incorrect within a 10% margin error.

would predict: those who believe they will be paid for sure act like participants in real-payment conditions, while those who think the payments are hypothetical behave like participants in hypothetical conditions.

6. DISCUSSION AND CONCLUSIONS

We conducted an online experiment on Prolific with a large sample ($N=1,195$) and subject-level randomization to test three well-established hypotheses in the discipline: The first hypothesis (H1) refers to the idea that outcomes in incentivized experiments exhibit lower dispersion (i.e., variance) compared to hypothetical ones. The second hypothesis (H2) suggests that monetary incentives lead participants to reveal their true preferences, whereas in the absence of incentives, individuals may present themselves as more prosocial without facing any real cost. In addition, we formulate a third hypothesis (H3), which compares certain (real) monetary incentives with probabilistic ones.

We also conducted two additional studies. In the first one ($N = 303$), we examine the impact of using a £5 endowment instead of £1 to test for a stake-size effect. In the second study ($n = 299$), we investigate how different wordings or phrasings of the payment instructions in hypothetical treatments affect participants' estimated probability of being playing with real money.

First, we aimed to test whether donations decisions in a Dictator Game with low stakes, but real monetary incentives are less dispersed than those with the same low stakes but hypothetical payoffs, where participants are not motivated to tell the truth and can respond arbitrarily. Our experiment does not support this hypothesis, as we found the opposite: hypothetical responses in the DG are less dispersed, since they concentrate closer to the egalitarian distribution. In the replication with the same design but using a £5 pie, we found exactly the same result. The hypothetical payments are less dispersed than the real (monetary) ones. Therefore, Hypothesis 1 is not supported by our data. In any case, it is important to highlight that in the absence of incentives, if participants are inequity-averse, removing the cost of giving (as in the Hypothetical condition) may push many toward focal points such as 50%—or even 100% for highly altruistic individuals—potentially reducing dispersion.

The second hypothesis tested is that low-stakes real incentives lead to more honest decisions, as participants have their own money at stake. In other words, donating money in a dictator game with real incentives is not "cheap talk" but rather a true reflection of the participant's preferences. Thus, we should expect that when incentives have economic consequences, participants will be more selfish, as "appearing as a good person" comes at a cost, even with low stakes. However, our data do not support this hypothesis since we found no significant differences in average giving across treatments – similarly to other papers in the literature (see Ben-Ner and Kramer, 2008; Bühren and Kundt, 2015). Furthermore, our results suggest that when participants face a hypothetical problem of distributing a small amount of money, they tend to use an egalitarian distribution rule. This finding aligns with previous literature (see Forsythe et al., 1994 and Dana et al., 2007). However, when real or probabilistic incentives are

introduced, a small fraction of subjects become more *hype*-altruistic —a result that contradicts other studies showing that real payments increase selfish behavior (see Amir et al., 2012; Clot et al., 2018). However, the replication with the £5 pie changes the results dramatically and in the expected direction. When participants are faced with a stake five times larger, the proportion of selfish individuals increases substantially, and the percentage of egalitarians drops sharply — but this only occurs among those with real payments. We do not observe this effect in either the hypothetical payment condition or in the BRIS condition. In other words, making decisions involving £5 no longer seems to be cheap talk (as it might be with £1). This leads us to reconsider the results we had for Hypothesis 2 with the £1 endowment. It now appears that simply increasing the amount from £1 to £5 provides strong support for the hypothesis that real incentives lead to more honest decisions.

We can thus summarize that the stake size helps explain both the null results observed in the £1 experiment and the change in behavior seen in the £5 condition. In the former case, the size of the payments (for both the dictator and the recipient) may have led participants to perceive the paid treatment as almost quasi-hypothetical. In the latter case, with five times more money at stake, participants appeared to think twice before donating. This interpretation is also highly consistent with previous literature showing that altruism tends to vanish as stakes increase (see Brañas-Garza et al., 2021b; Larney et al., 2019). In other words, if the payment is too low, participants may not perceive a meaningful difference between hypothetical and real incentives (Gneezy and Rustichini, 2000).

Third, Hypothesis 3 asks whether paying subjects in probability makes any difference with real payments. Our results for £1 pie clearly indicate that paying one randomly selected participant out of every ten does not make any difference with respect to paying all participants. Here, the replication with the £5 pie changes what we observed previously. With the £1 pie, we found that the R and B payment conditions produced the same outcomes (and both were similar to H). Now, we see that the B treatment still yields outcomes identical to H, but no longer to R. This is because the distribution in the R condition has shifted with the introduction of a stake five times larger. Perhaps the simplest explanation is that 10% (the expected payment in B) of £5 remains a very low incentive, and participants do not perceive it as meaningfully different.

In short, our results suggest the existence of a threshold in payment size for participants to consider it relevant. A £1 payment is perceived as minor, while £5 is seen as more substantial. Given that the expected payments in the BRIS treatments with £1 and £5 stakes are only 10 and 50 pence respectively—both below the £1 threshold—it seems likely that these amounts are simply not large enough to be perceived as meaningful. Of course, this leaves an open question—and a broad avenue for future research—regarding how participants perceive and respond to different payment levels. This is an area that warrants much more detailed and careful investigation.

Beyond testing the three original hypotheses of this paper, we also set out to explore whether participants truly understand that payments are hypothetical. Using instruction styles from previous studies, we classify them into three types: (H) explicitly

hypothetical, (I) using indirect "imagine" language, and (NotR) explicitly stating that the money is not real. We ran an experiment on Prolific with 299 subjects and found that participants often misunderstood the hypothetical nature of the task. In both the "imagine" and "payments are hypothetical" conditions, a large fraction of participants still believed they might earn real money. Only the explicit wording "the money you earn is not real" effectively corrected this, with most participants expecting to receive nothing.

In short, our study shows that many participants assigned to hypothetical-payment conditions, even when told explicitly that the payments are not real, still believe they will be paid. In particular, when the word "hypothetical" is used in the instructions (as in ours £1 and £5 DGs), this credibility issue is quite common. This means that many participants in the hypothetical condition may have actually believed they were in a real-payment experiment. While this is surprising in itself, what is even more striking is that participants behave in the Dictator Game exactly as their payment beliefs would predict: those who believe they will be paid act like participants in real-payment conditions, while those who think the payments are hypothetical behave like participants in hypothetical conditions. What we can conclude is that the wording used in the instructions to explain the payment scheme is an incredibly sensitive issue—one that, unfortunately, has not received the attention it deserves. This work opens up an important line of research that should be taken very seriously.

One important limitation of our study concerns the generalizability of the findings, particularly across experimental platforms. The level of giving observed in our £1 real treatment is notably higher than what is typically reported in lab or MTurk studies (e.g., Engel, 2011; Brañas-Garza et al., 2018), and the proportion of participants donating exactly half of the endowment is unusually large. While our £5 replication suggests that some of these patterns are driven by the low absolute and relative value of the stake, it remains possible that Prolific participants differ systematically from those in other samples, for example in terms of attentiveness or preference for socially desirable responses. Future work comparing the same design across platforms, using matched samples, would help assess the extent to which these results reflect platform-specific behavior or more generalizable effects.

Acknowledgments

We are grateful to the Editors – Jerome Renault and Bernhard von Stengel – and to the two insightful and creative referees for their excellent comments. We also appreciate the comments of participants at seminars in Alicante, Barcelona UB, Derby, Granada, KTI Budapest and Loyola. Financial support from MINECO-FEDER (PID2021-126892NB-I00), the Andalusia Government (EMERGIA EMC21_00331; FEDER C-SEJ-371-UGR23), and the European Union's Horizon Europe Research and Innovation Programme under Grant Agreement number 101095175 and the UK Government.

Conflicts of Interest

The authors declare no conflicts of interest.

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Appendix A: Detailed statistical analyses

Table A1: Balance across treatments. Baseline: Hypothetical (H).

	$mean_H$	$p(R-H)^{\epsilon}$	$p(B-H)^{\epsilon}$
<i>female</i>	0.621	0.986	0.946
<i>age</i>	31.909	0.946	0.988
<i>education⁺</i>	2.941	0.808	0.988
<i>SES</i>	5.147	0.946	0.988
<i>risky choices</i>	5.496	0.306	0.988
<i>patient choices</i>	8.628	0.160	0.960
<i>charity</i>	2.535	0.946	0.960

Note: ^ε Inference was made regressing each control variable on H and using Westfall and Young adjusted p-values for multiple testing. *Education* is a categorical variable (taking values from 0 to 6 for simplicity, from no formal education to doctorate degree) which refers to the highest education level. *SES* reflects the *Socio-economic status* using the position in the income ladder (scale from 1 to 10). *Charity* refers to a self-reported categorical variable that reflects different amounts of donations (in ascending order) made in the last year. *Risky choices* refers to the number of risky options chosen in the Holt-Laury task (in which participants had to choose between a safer and a riskier lottery), while *patient choices* refers to the number of later-larger allocations in the time discounting task (in which participants had to choose between a sooner smaller amount of money and a later but larger amount).

Table A2: Regression analysis for the H vs R comparison.

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	giving (g)	selfish ($g=0$)	t.selfish ($g \leq 0.1$)	2t.selfish ($g \leq 0.2$)	egalitarian ($g=0.5$)	t.egalitarian ($0.4 \leq g \leq 0.6$)	2t.egalitarian ($0.3 \leq g \leq 0.7$)	saint ($g=1$)	t.saint ($0.9 \leq g \leq 1$)	2t.saint ($0.8 \leq g \leq 1$)
H	-0.000 (0.014)	-0.027 (0.023)	-0.038 (0.025)	-0.036 (0.027)	0.057* (0.033)	0.102*** (0.031)	0.071** (0.029)	-0.031*** (0.012)	-0.031** (0.012)	-0.034*** (0.013)
Westfall and Young p-value	0.994	0.374	0.262	0.324	0.256	0.008	0.060	0.034	0.050	0.028
age	0.002*** (0.001)	-0.002*** (0.001)	-0.003*** (0.001)	-0.004*** (0.001)	0.006*** (0.001)	0.005*** (0.001)	0.003*** (0.001)	0.000 (0.001)	0.000 (0.001)	0.000 (0.001)
female	0.042*** (0.015)	-0.090*** (0.025)	-0.085*** (0.027)	-0.069** (0.029)	0.070** (0.035)	0.066** (0.032)	0.062** (0.030)	0.006 (0.011)	0.005 (0.012)	0.007 (0.012)
education	-0.007 (0.005)	0.016** (0.008)	0.023*** (0.009)	0.014 (0.009)	-0.011 (0.012)	-0.017 (0.011)	-0.017 (0.010)	0.003 (0.004)	0.003 (0.005)	0.003 (0.005)
SES	-0.018*** (0.005)	0.024*** (0.008)	0.025*** (0.009)	0.035*** (0.009)	-0.040*** (0.011)	-0.043*** (0.010)	-0.031*** (0.010)	-0.004 (0.004)	-0.004 (0.004)	-0.003 (0.004)
risky choices	0.001 (0.003)	-0.003 (0.005)	-0.001 (0.005)	-0.002 (0.006)	-0.000 (0.007)	-0.000 (0.006)	0.002 (0.006)	0.000 (0.003)	-0.001 (0.003)	-0.000 (0.003)
patient choices	0.001 (0.001)	-0.003 (0.002)	-0.003 (0.002)	-0.004 (0.002)	0.006** (0.003)	0.007*** (0.002)	0.005** (0.002)	-0.001* (0.001)	-0.002* (0.001)	-0.002** (0.001)
charity	0.006 (0.006)	0.001 (0.009)	-0.002 (0.010)	-0.010 (0.010)	0.023* (0.012)	0.015 (0.011)	0.009 (0.011)	0.002 (0.005)	0.002 (0.005)	0.001 (0.005)
Constant	0.410*** (0.038)	0.133** (0.066)	0.155** (0.069)	0.205*** (0.072)	0.510*** (0.089)	0.655*** (0.081)	0.739*** (0.076)	0.055* (0.029)	0.063** (0.030)	0.056* (0.031)
Observations	789	789	789	789	789	789	789	789	789	789
R-squared	0.047	0.050	0.050	0.046	0.056	0.066	0.043	0.015	0.015	0.016

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisks denote significance levels: *** p<0.01,

** p<0.05, * p<0.1

Table A3: Regression analysis for the H vs B comparison.

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	giving (<i>g</i>)	selfish (<i>g</i> =0)	t.selfish (<i>g</i> ≤0.1)	2t.selfish (<i>g</i> ≤0.2)	egalitarian (<i>g</i> =0.5)	t.egalitarian (0.4≤ <i>g</i> ≤0.6)	2t.egalitarian (0.3≤ <i>g</i> ≤0.7)	saint (<i>g</i> =1)	t.saint (0.9≤ <i>g</i> ≤1)	2t.saint (0.8≤ <i>g</i> ≤1)
H	0.003 (0.014)	-0.019 (0.022)	-0.024 (0.024)	-0.042 (0.027)	0.084** (0.033)	0.096*** (0.030)	0.076*** (0.028)	-0.024** (0.010)	-0.026** (0.011)	-0.033*** (0.012)
Westfall and Young p-value	0.878	0.574	0.532	0.252	0.050	0.016	0.038	0.084	0.084	0.030
age	0.003*** (0.001)	-0.001* (0.001)	-0.003*** (0.001)	-0.003*** (0.001)	0.005*** (0.001)	0.003** (0.001)	0.002 (0.001)	0.001* (0.001)	0.002** (0.001)	0.002** (0.001)
female	0.032** (0.015)	-0.088*** (0.025)	-0.087*** (0.027)	-0.100*** (0.029)	0.110*** (0.035)	0.136*** (0.032)	0.128*** (0.031)	-0.028** (0.013)	-0.028** (0.013)	-0.028** (0.014)
education	-0.008* (0.005)	0.010 (0.008)	0.014 (0.008)	0.011 (0.009)	-0.019 (0.011)	-0.014 (0.011)	-0.010 (0.010)	-0.001 (0.004)	-0.002 (0.004)	-0.001 (0.004)
SES	-0.018*** (0.005)	0.013 (0.008)	0.020** (0.009)	0.031*** (0.009)	-0.045*** (0.011)	-0.040*** (0.010)	-0.026*** (0.010)	-0.006 (0.004)	-0.005 (0.004)	-0.005 (0.004)
risky choices	0.002 (0.003)	0.001 (0.005)	-0.003 (0.005)	-0.006 (0.006)	0.017** (0.007)	0.012* (0.006)	0.009 (0.006)	-0.002 (0.002)	-0.002 (0.003)	-0.003 (0.003)
patient choices	0.001 (0.001)	-0.002 (0.002)	-0.001 (0.002)	-0.003 (0.002)	0.004* (0.003)	0.005** (0.002)	0.005** (0.002)	-0.001 (0.001)	-0.002* (0.001)	-0.002* (0.001)
charity	0.012** (0.005)	-0.013 (0.008)	-0.019** (0.009)	-0.025*** (0.009)	0.044*** (0.012)	0.038*** (0.011)	0.028*** (0.010)	-0.001 (0.005)	-0.002 (0.005)	-0.003 (0.005)
Constant	0.381*** (0.041)	0.178*** (0.066)	0.220*** (0.068)	0.299*** (0.072)	0.420*** (0.088)	0.552*** (0.082)	0.616*** (0.078)	0.080** (0.034)	0.064* (0.038)	0.085** (0.040)
Observations	814	814	814	814	814	814	814	814	814	814
R-squared	0.056	0.029	0.037	0.053	0.073	0.075	0.055	0.026	0.037	0.034

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisk denote significance levels: *** p<0.01,

** p<0.05, * p<0.1

Table A4: Regression analysis for the H vs R&B comparison.

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	giving (g)	selfish ($g=0$)	t.selfish ($g \leq 0.1$)	2t.selfish ($g \leq 0.2$)	egalitarian ($g=0.5$)	t.egalitarian ($0.4 \leq g \leq 0.6$)	2t.egalitarian ($0.3 \leq g \leq 0.7$)	saint ($g=1$)	t.saint ($0.9 \leq g \leq 1$)	2t.saint ($0.8 \leq g \leq 1$)
H	0.002 (0.012)	-0.023 (0.019)	-0.031 (0.021)	-0.039* (0.023)	0.070** (0.028)	0.097*** (0.026)	0.072*** (0.024)	-0.027*** (0.009)	-0.028*** (0.009)	-0.033*** (0.010)
Westfall and Young p-value	0.902	0.322	0.250	0.192	0.056	0.002	0.010	0.042	0.042	0.010
age	0.002*** (0.000)	-0.002*** (0.001)	-0.003*** (0.001)	-0.004*** (0.001)	0.005*** (0.001)	0.003*** (0.001)	0.002** (0.001)	0.001 (0.000)	0.001** (0.001)	0.001** (0.001)
female	0.040*** (0.013)	-0.095*** (0.021)	-0.093*** (0.022)	-0.091*** (0.024)	0.080*** (0.029)	0.107*** (0.027)	0.099*** (0.025)	-0.011 (0.011)	-0.010 (0.011)	-0.008 (0.011)
education	-0.007* (0.004)	0.011* (0.007)	0.017** (0.007)	0.011 (0.008)	-0.014 (0.010)	-0.015* (0.009)	-0.013 (0.008)	0.001 (0.004)	0.001 (0.004)	0.002 (0.004)
SES	-0.014*** (0.004)	0.013** (0.006)	0.017** (0.007)	0.026*** (0.008)	-0.038*** (0.009)	-0.036*** (0.008)	-0.023*** (0.008)	-0.004 (0.004)	-0.004 (0.004)	-0.003 (0.004)
risky choices	0.002 (0.003)	-0.003 (0.004)	-0.003 (0.005)	-0.003 (0.005)	0.005 (0.006)	0.004 (0.005)	0.004 (0.005)	-0.001 (0.002)	-0.001 (0.002)	-0.001 (0.002)
patient choices	0.001 (0.001)	-0.003 (0.002)	-0.002 (0.002)	-0.003* (0.002)	0.005** (0.002)	0.006*** (0.002)	0.005** (0.002)	-0.001 (0.001)	-0.001* (0.001)	-0.001* (0.001)
charity	0.006 (0.005)	-0.003 (0.007)	-0.006 (0.008)	-0.011 (0.008)	0.033*** (0.010)	0.023** (0.009)	0.015* (0.009)	-0.001 (0.004)	-0.002 (0.004)	-0.003 (0.004)
Constant	0.373*** (0.033)	0.202*** (0.054)	0.225*** (0.057)	0.282*** (0.060)	0.471*** (0.074)	0.603*** (0.069)	0.667*** (0.065)	0.056** (0.028)	0.043 (0.031)	0.052 (0.032)
Observations	1,194	1,194	1,194	1,194	1,194	1,194	1,194	1,194	1,194	1,194
R-squared	0.043	0.034	0.038	0.041	0.052	0.057	0.039	0.012	0.016	0.017

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisk denote significance levels: *** p<0.01, ** p<0.05, * p<0.1

Table A5: Regression analysis for the R vs B comparison.

VARIABLES	(1) giving (g)	(2) selfish ($g=0$)	(3) t.selfish ($g \leq 0.1$)	(4) 2t.selfish ($g \leq 0.2$)	(5) egalitarian ($g=0.5$)	(6) t.egalitarian ($0.4 \leq g \leq 0.6$)	(7) 2t.egalitarian ($0.3 \leq g \leq 0.7$)	(8) saint ($g=1$)	(9) t.saint ($0.9 \leq g \leq 1$)	(10) 2t.saint ($0.8 \leq g \leq 1$)
R	0.006 (0.016)	0.002 (0.023)	0.008 (0.026)	-0.011 (0.028)	0.028 (0.035)	-0.002 (0.033)	0.009 (0.031)	0.008 (0.014)	0.007 (0.015)	0.002 (0.016)
Westfall and Young p-value	0.992	0.998	0.996	0.988	0.912	0.998	0.996	0.974	0.978	0.978
age	0.003*** (0.001)	-0.003*** (0.001)	-0.004*** (0.001)	-0.004*** (0.001)	0.004*** (0.001)	0.003** (0.001)	0.002 (0.001)	0.001* (0.001)	0.002** (0.001)	0.002* (0.001)
female	0.045*** (0.017)	-0.105*** (0.027)	-0.104*** (0.028)	-0.105*** (0.031)	0.064* (0.036)	0.119*** (0.035)	0.108*** (0.033)	-0.011 (0.015)	-0.005 (0.015)	-0.003 (0.016)
education	-0.005 (0.006)	0.006 (0.008)	0.014 (0.009)	0.009 (0.010)	-0.009 (0.012)	-0.015 (0.012)	-0.012 (0.011)	-0.000 (0.005)	0.002 (0.005)	0.003 (0.006)
SES	-0.007 (0.005)	0.003 (0.007)	0.007 (0.008)	0.013 (0.009)	-0.030*** (0.011)	-0.026** (0.011)	-0.013 (0.010)	-0.002 (0.005)	-0.001 (0.005)	0.000 (0.005)
risky choices	0.002 (0.003)	-0.006 (0.005)	-0.004 (0.006)	-0.003 (0.006)	0.001 (0.007)	0.000 (0.007)	0.003 (0.007)	0.000 (0.003)	0.001 (0.003)	0.000 (0.003)
patient choices	0.002 (0.001)	-0.003 (0.002)	-0.003 (0.002)	-0.004 (0.002)	0.005* (0.003)	0.005** (0.003)	0.005* (0.003)	-0.001 (0.001)	-0.001 (0.001)	-0.001 (0.001)
charity	-0.001 (0.006)	0.003 (0.009)	0.002 (0.010)	0.000 (0.010)	0.031** (0.012)	0.017 (0.012)	0.007 (0.011)	-0.004 (0.005)	-0.005 (0.005)	-0.007 (0.006)
Constant	0.320*** (0.045)	0.296*** (0.069)	0.300*** (0.074)	0.353*** (0.080)	0.458*** (0.097)	0.599*** (0.093)	0.637*** (0.088)	0.028 (0.042)	-0.003 (0.046)	0.010 (0.049)
Observations	785	785	785	785	785	785	785	785	785	785
R-squared	0.036	0.036	0.035	0.033	0.035	0.035	0.026	0.008	0.012	0.011

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisk denote significance levels: *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$

Appendix B: Instructions

Consent

Please read the following information carefully: You are invited to take part in a short survey study. The following list of items summarises all important things you should know before proceeding with this study.

- You must be over 18 to participate.
- Your participation is voluntary, and you may withdraw from the study at any time.
- Participation will not incur any financial expense by you.
- If you agree to participate in the study, you are expected to fulfill the obligations related to the study. That is, answer any questions posed to you for the duration of the study.
- There are no known physical risks involved in this procedure and the tasks do not require any special physical or psychological attitudes or any specific knowledge of any kind.
- You will not be knowingly deceived in any form.
- No choices will be traced back to any one individual.

Yes, I accept ☐

Next

- No choices will be traced back to any one individual.

CONFIDENTIALITY: The information you provide will be treated in full confidence and will be legally protected. It will never be associated with you personally in any form. No person-identifiable information will be reported in any published or unpublished work. No person-identifiable data may be made publicly available. All electronic files will be saved but treated in accordance with the Data Protection Act (1998).

In order to receive Prolifics' participation fee, you need to complete the entire survey. **In the last screen, you will automatically be redirected to the prolific link in order to confirm that you complete the survey.**

CONSENT: If you agree to the terms of this study and wish to continue with this study, then please click on the option "I accept".

Yes, I accept ☒

Next

Subjects were randomly assigned to one of the three treatments: Real (R), Hypothetical (H) and BRIS (B). The instructions of the time discounting, risk (Holt and Laury), and dictator game tasks were identical across treatments, except for the last sentence, where we introduced the specific payment condition. All participants remained in the assigned treatment across all the three tasks and completed them in the same order (time, risk, DG).

Real (R)

Time discounting task

Part I: Present versus future

In this section, you will be asked to make a series of 20 decisions about whether you prefer to receive an amount of money sooner or later. The task consists of 2 blocks. In each block there are 10 identical decisions, but they differ in the time that you would receive the amount of money involved.

There are no right or wrong answers and the decisions are totally independent of each other, since only one of the 20 decisions will be randomly selected to calculate the payment. This will be done on the date established by the option you have chosen in that decision selected at random.

You will receive REAL money for this task.

Next

*BLOCK SR

Please choose the option you prefer in each decision. Do you prefer...

Please select at least 10 answers

	Today	In one month
Receive £3 today or £3 in one month?	☐	☐
Receive £3 today or £3.2 in one month?	☐	☐
Receive £3 today or £3.4 in one month?	☐	☐
Receive £3 today or £3.6 in one month?	☐	☐
Receive £3 today or £3.8 in one month?	☐	☐
Receive £3 today or £4.0 in one month?	☐	☐
Receive £3 today or £4.2 in one month?	☐	☐
Receive £3 today or £4.4 in one month?	☐	☐
Receive £3 today or £4.6 in one month?	☐	☐
Receive £3 today or £4.8 in one month?	☐	☐

*BLOCK LR

Please choose the option you prefer in each decision. Do you prefer...

	In one Month	In seven months
Receive £3 in one month or receive £3 in seven months?	☐	☐
Receive £3 in one month or receive £3.2 in seven months?	☐	☐
Receive £3 in one month or receive £3.4 in seven months?	☐	☐
Receive £3 in one month or receive £3.6 in seven months?	☐	☐
Receive £3 in one month or receive £3.8 in seven months?	☐	☐
Receive £3 in one month or receive £4.0 in seven months?	☐	☐
Receive £3 in one month or receive £4.2 in seven months?	☐	☐
Receive £3 in one month or receive £4.4 in seven months?	☐	☐
Receive £3 in one month or receive £4.6 in seven months?	☐	☐
Receive £3 in one month or receive £4.8 in seven months?	☐	☐

Holt and Laury task

Part II: Decisions under uncertainty

For each of the following decisions, you have to choose the lottery you prefer (A or B). In each lottery you can win one amount with a certain probability p or a different amount with probability $(1-p)$. In total, you are going to make 11 decisions. Only one of the 11 decisions will be randomly selected to calculate the payment and the prize that you can win will depend on the lottery you choose (A or B) and the result of that lottery.

Remember, you will receive REAL money for this task.

Next

*Please, select the lottery (A or B) you prefer in each decision.

	Lottery A	Lottery B
Lottery A: with 0% probability you win £0.5 or with 100% probability you win £0.4 Lottery B: with 0% probability you win £1 or with 100% probability you win £0.01	☐	☐
Lottery A: with 10% probability you win £0.5 or with 90% probability you win £0.4 Lottery B: with 10% probability you win £1 or with 90% probability you win £0.01	☐	☐
Lottery A: with 20% probability you win £0.5 or with 80% probability you win £0.4 Lottery B: with 20% probability you win £1 or with 80% probability you win £0.01	☐	☐
Lottery A: with 30% probability you win £0.5 or with 70% probability you win £0.4 Lottery B: with 30% probability you win £1 or with 70% probability you win £0.01	☐	☐
Lottery A: with 40% probability you win £0.5 or with 60% probability you win £0.4 Lottery B: with 40% probability you win £1 or with 60% probability you win £0.01	☐	☐

Lottery A: with 50% probability you win £0.5 or with 50% probability you win £0.4 Lottery B: with 50% probability you win £1 or with 50% probability you win £0.01	☐	☐
Lottery A: with 60% probability you win £0.5 or with 40% probability you win £0.4 Lottery B: with 60% probability you win £1 or with 40% probability you win £0.01	☐	☐
Lottery A: with 70% probability you win £0.5 or with 30% probability you win £0.4 Lottery B: with 70% probability you win £1 or with 30% probability you win £0.01	☐	☐
Lottery A: with 80% probability you win £0.5 or with 20% probability you win £0.4 Lottery B: with 80% probability you win £1 or with 20% probability you win £0.01	☐	☐
Lottery A: with 90% probability you win £0.5 or with 10% probability you win £0.4 Lottery B: with 90% probability you win £1 or with 10% probability you win £0.01	☐	☐
Lottery A: with 100% probability you win £0.5 or with 0% probability you win £0.4 Lottery B: with 100% probability you win £1 or with 0% probability you win £0.01	☐	☐

Dictator game

Part III: Allocations

In this task, you have to divide an amount of money between you and another person. Initially, we give you £1 to split between you and the other person. One of the two (player A) is going to divide the £1 between both of you. The other (player B) will receive the amount that player A sends him/her but he or she does not have to make any decision (player B is passive).

The payment will correspond to the decision you have made about how to divide the money. You can also be the one who receives the money that someone else sends you instead of who makes the division (that is, you can be either player A or player B; 50% chance).

Remember, you will receive **REAL** money for this task.

*Please mark the percentage of the £1 that you would want to send to the other person.

Choose one of the following answers

- ☐ £0
- ☐ £0.1
- ☐ £0.2
- ☐ £0.3
- ☐ £0.4
- ☐ £0.5
- ☐ £0.6
- ☐ £0.7
- ☐ £0.8
- ☐ £0.9
- ☐ £1

BRIS (B)

Time discounting task

Part I: Present versus future

In this section, you will be asked to make a series of 20 decisions about whether you prefer to receive an amount of money sooner or later. The task consists of 2 blocks. In each block there are 10 identical decisions, but they differ in the time that you would receive the amount of money involved.

There are no right or wrong answers and the decisions are totally independent of each other, since only one of the 20 decisions will be randomly selected to calculate the payment. This will be done on the date established by the option you have chosen in that decision selected at random.

ONE OUT OF EVERY TEN PARTICIPANTS, selected at random, will receive real money for this task.

Next

[See the decision screen above – identical across treatments]

Holt and Laury task

Part II: Decisions under uncertainty

For each of the following decisions, you have to choose the lottery you prefer (A or B). In each lottery you can win one amount with a certain probability p or a different amount with probability $(1-p)$.

In total, you are going to make 11 decisions. Only one of the 11 decisions will be randomly selected to calculate the payment and the prize that you can win will depend on the lottery you choose (A or B) and the result of that lottery.

ONE OUT OF EVERY TEN PARTICIPANTS, selected at random, will receive real money for this task.

Next

[See the decision screen above – identical across treatments]

Dictator game

Part III: Allocations

In this task, you have to divide an amount of money between you and another person. Initially, we give you £1 to split between you and the other person. One of the two (player A) is going to divide the £1 between both of you. The other (player B) will receive the amount that player A sends him/her but he or she does not have to make any decision (player B is passive).

The payment will correspond to the decision you have made about how to divide the money. You can also be the one who receives the money that someone else sends you instead of who makes the division (that is, you can be either player A or player B; 50% chance).

ONE OUT OF EVERY TEN PARTICIPANTS, selected at random, will receive real money for this task.

*Please mark the percentage of the £1 that you would want to send to the other person.

Choose one of the following answers

- ☐ £0
- ☐ £0.1
- ☐ £0.2
- ☐ £0.3
- ☐ £0.4
- ☐ £0.5
- ☐ £0.6
- ☐ £0.7
- ☐ £0.8
- ☐ £0.9
- ☐ £1

Submit

Hypothetical (H)

Time discounting task

Part I: Present versus future

In this section, you will be asked to make a series of 20 decisions about whether you prefer to receive an amount of money sooner or later. The task consists of 2 blocks. In each block, there are 10 identical decisions, but they differ in the time that you would receive the amount of money involved.

There are no right or wrong answers and the decisions are totally independent of each other since only one of the 20 decisions will be randomly selected to calculate the payment. This will be done on the date established by the option you have chosen in that decision selected at random.

Payments in this section are **HYPOTHETICAL**. Please make the decisions as if they were real.

[See the decision screen above – identical across treatments]

Holt and Laury task

Part II: Decisions under uncertainty

For each of the following decisions, you have to choose the lottery you prefer (A or B). In each lottery you can win one amount with a certain probability p or a different amount with probability $(1-p)$.

In total, you are going to make 11 decisions. Only one of the 11 decisions will be randomly selected to calculate the payment and the prize that you can win will depend on the lottery you choose (A or B) and the result of that lottery.

Payments in this section are **HYPOTHETICAL**. Please make the decisions as if they were real.

[See the decision screen above – identical across treatments]

Dictator game

Part III: Allocations

In this task, you have to divide an amount of money between you and another person. Initially, we give you £1 to split between you and the other person. One of the two (player A) is going to divide the £1 between both of you. The other (player B) will receive the amount that player A sends him/her but he or she does not have to make any decision (player B is passive).

The payment will correspond to the decision you have made about how to divide the money. You can also be the one who receives the money that someone else sends you instead of who makes the division (that is, you can be either player A or player B; 50% chance).

Payments in this section are **HYPOTHETICAL**. Please make the decisions as if they were real.

*Please mark the percentage of the £1 that you would want to send to the other person.

Choose one of the following answers

- ☐ £0
- ☐ £0.1
- ☐ £0.2
- ☐ £0.3
- ☐ £0.4
- ☐ £0.5
- ☐ £0.6
- ☐ £0.7
- ☐ £0.8
- ☐ £0.9
- ☐ £1

Appendix C: Replication of the same analysis for the new sample

Table C1: Balance across treatments in the replication. Baseline: Hypothetical (H).

	$mean_H$	$p(R-H)^\epsilon$	$p(B-H)^\epsilon$
<i>female</i>	0.456	0.822	1.000
<i>age</i>	44.213	0.940	0.574
<i>education</i> ⁺	3.252	0.992	0.724
<i>SES</i>	5.447	0.300	0.024
<i>charity</i>	2.058	0.300	0.724

Note: ϵ Inference was made regressing each control variable on H and using Westfall and Young adjusted p-values for multiple testing. *Education* is a categorical variable (taking values from 0 to 6 for simplicity, from no formal education to doctorate degree) which refers to the highest education level. *SES* reflects the *Socio-economic status* using the position in the income ladder (scale from 1 to 10). *Charity* refers to a self-reported categorical variable that reflects different amounts of donations (in ascending order) made in the last year.

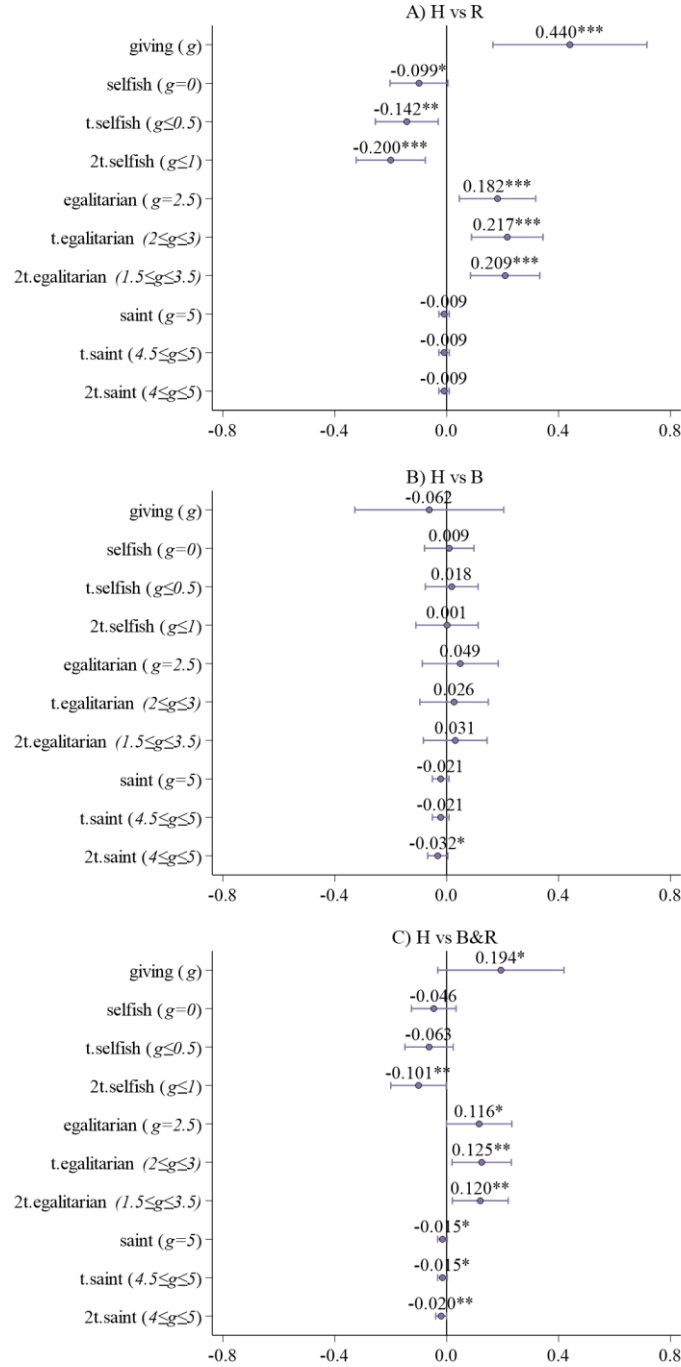


Figure C1: Regression results - replication. Point estimates denote the coefficient of H. All the regressions control for age, gender, education, SES status, and self-reported donations to charity. Asterisks denote significance levels: *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

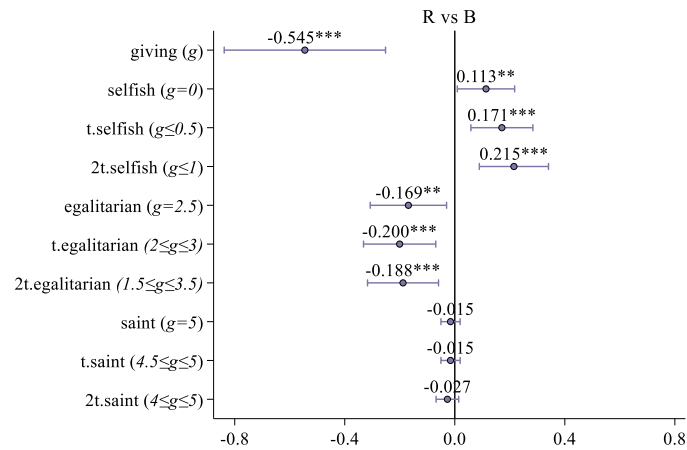


Figure C2: Regression results - replication. Point estimates denote the coefficient of R. All the regressions control for age, gender, education, SES status, and self-reported donations to charity. Asterisks denote significance levels: *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

Table C2: Regression analysis for the H vs R comparison (replication).

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	giving (<i>g</i>)	selfish (<i>g=0</i>)	t.selfish (<i>g</i> ≤0.5)	2t.selfish (<i>g</i> ≤1)	egalitarian (<i>g</i> =2.5)	t.egalitarian (2≤ <i>g</i> ≤3)	2t.egalitarian (1.5≤ <i>g</i> ≤3.5)	saint (<i>g</i> =5)	t.saint (4.5≤ <i>g</i> ≤5)	2t.saint (4≤ <i>g</i> ≤5)
H	0.440*** (0.139)	-0.099* (0.052)	-0.142** (0.057)	-0.200*** (0.063)	0.182*** (0.069)	0.217*** (0.065)	0.209*** (0.063)	-0.009 (0.009)	-0.009 (0.009)	-0.009 (0.009)
Westfall and Young p-value	0.010	0.192	0.022	0.010	0.022	0.004	0.060	0.080	0.080	0.080
age	0.016*** (0.005)	-0.004* (0.002)	-0.004* (0.002)	-0.007*** (0.002)	0.008*** (0.003)	0.009*** (0.002)	0.008*** (0.002)	-0.000 (0.000)	-0.000 (0.000)	-0.000 (0.000)
female	-0.086 (0.138)	0.085 (0.053)	0.029 (0.057)	0.004 (0.062)	0.033 (0.069)	0.059 (0.064)	0.004 (0.062)	-0.008 (0.008)	-0.008 (0.008)	-0.008 (0.008)
education	0.097* (0.050)	-0.025 (0.020)	-0.037* (0.021)	-0.040* (0.022)	0.017 (0.025)	0.041* (0.022)	0.039* (0.022)	0.001 (0.001)	0.001 (0.001)	0.001 (0.001)
SES	0.061 (0.060)	-0.021 (0.025)	-0.028 (0.025)	-0.023 (0.026)	0.018 (0.026)	0.013 (0.026)	0.020 (0.026)	0.002 (0.003)	0.002 (0.003)	0.002 (0.003)
charity	0.041 (0.039)	-0.034** (0.014)	-0.034** (0.016)	-0.012 (0.019)	0.011 (0.020)	0.018 (0.019)	0.014 (0.019)	-0.002 (0.002)	-0.002 (0.002)	-0.002 (0.002)
Constant	0.230 (0.357)	0.595*** (0.145)	0.758*** (0.157)	0.986*** (0.167)	-0.063 (0.177)	-0.087 (0.170)	0.000 (0.167)	0.014 (0.014)	0.014 (0.014)	0.014 (0.014)
Observations	205	205	205	205	205	205	205	205	205	205
R-squared	0.139	0.114	0.127	0.127	0.089	0.140	0.132	0.016	0.016	0.016

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisks denote significance levels: *** p<0.01, ** p<0.05, * p<0.1. Columns 8, 9 and 10 show the same results, since the dummy variables are the same in the three cases as there are no additional subjects in the trembling cases.

Table C3: Regression analysis for the H vs B comparison (replication).

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	giving (<i>g</i>)	selfish (<i>g</i> =0)	t.selfish (<i>g</i> ≤0.5)	2t.selfish (<i>g</i> ≤1)	egalitarian (<i>g</i> =2.5)	t.egalitarian (2≤ <i>g</i> ≤3)	2t.egalitarian (1.5≤ <i>g</i> ≤3.5)	saint (<i>g</i> =5)	t.saint (4.5≤ <i>g</i> ≤5)	2t.saint (4≤ <i>g</i> ≤5)
H	-0.062 (0.135)	0.009 (0.045)	0.018 (0.048)	0.001 (0.056)	0.049 (0.069)	0.026 (0.062)	0.031 (0.058)	-0.021 (0.015)	-0.021 (0.015)	-0.032* (0.018)
Westfall and Young p-value	0.940	0.968	0.940	0.988	0.884	0.940	0.920	0.386	0.386	0.316
age	0.010** (0.005)	-0.002 (0.002)	-0.003* (0.002)	-0.004** (0.002)	0.003 (0.003)	0.004* (0.002)	0.005** (0.002)	0.000 (0.000)	0.000 (0.000)	-0.000 (0.000)
female	-0.098 (0.134)	0.040 (0.045)	0.009 (0.048)	-0.054 (0.057)	0.036 (0.071)	0.085 (0.061)	0.082 (0.058)	-0.018 (0.013)	-0.018 (0.013)	-0.028* (0.016)
education	-0.019 (0.051)	0.000 (0.017)	0.007 (0.017)	0.023 (0.020)	-0.041* (0.025)	-0.029 (0.021)	-0.029 (0.020)	0.006 (0.007)	0.006 (0.007)	0.006 (0.007)
SES	0.033 (0.054)	-0.016 (0.019)	-0.019 (0.020)	-0.009 (0.022)	-0.025 (0.026)	-0.006 (0.024)	0.004 (0.022)	0.005 (0.004)	0.005 (0.004)	0.005 (0.004)
charity	0.020 (0.036)	-0.030*** (0.011)	-0.033*** (0.011)	-0.009 (0.016)	0.005 (0.020)	0.011 (0.017)	0.017 (0.016)	-0.006 (0.005)	-0.006 (0.005)	-0.008 (0.005)
Constant	1.550*** (0.313)	0.332*** (0.115)	0.383*** (0.119)	0.401*** (0.134)	0.701*** (0.170)	0.632*** (0.145)	0.586*** (0.138)	-0.011 (0.017)	-0.011 (0.017)	0.013 (0.029)
Observations	206	206	206	206	206	206	206	206	206	206
R-squared	0.034	0.060	0.063	0.035	0.033	0.034	0.044	0.039	0.039	0.045

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisk denote significance levels: *** p<0.01,

** p<0.05, * p<0.1

Table C4: Regression analysis for the H vs R&B comparison (replication).

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)
	giving (<i>g</i>)	selfish (<i>g</i> =0)	t.selfish (<i>g</i> ≤0.5)	2t.selfish (<i>g</i> ≤1)	egalitarian (<i>g</i> =2.5)	t.egalitarian (2≤ <i>g</i> ≤3)	2t.egalitarian (1.5≤ <i>g</i> ≤3.5)	saint (<i>g</i> =5)	t.saint (4.5≤ <i>g</i> ≤5)	2t.saint (4≤ <i>g</i> ≤5)
H	0.194*	-0.046	-0.063	-0.101**	0.116*	0.125**	0.120**	-0.015*	-0.015*	-0.020**
	(0.115)	(0.040)	(0.044)	(0.050)	(0.059)	(0.054)	(0.051)	(0.009)	(0.009)	(0.010)
Westfall and Young p-value	0.232	0.288	0.286	0.196	0.196	0.068	0.068	0.288	0.288	0.286
age	0.013***	-0.003**	-0.004**	-0.006***	0.005**	0.006***	0.006***	0.000	0.000	-0.000
	(0.004)	(0.002)	(0.002)	(0.002)	(0.002)	(0.002)	(0.002)	(0.000)	(0.000)	(0.000)
female	-0.114	0.060	0.018	-0.013	0.012	0.064	0.035	-0.017*	-0.017*	-0.022**
	(0.116)	(0.042)	(0.045)	(0.051)	(0.058)	(0.053)	(0.051)	(0.010)	(0.010)	(0.011)
education	0.032	-0.012	-0.017	-0.005	-0.011	-0.002	0.001	0.005	0.005	0.004
	(0.045)	(0.016)	(0.017)	(0.019)	(0.021)	(0.019)	(0.019)	(0.005)	(0.005)	(0.005)
SES	0.030	-0.014	-0.015	-0.005	-0.008	-0.009	0.000	0.004	0.004	0.005
	(0.048)	(0.019)	(0.019)	(0.020)	(0.021)	(0.020)	(0.020)	(0.003)	(0.003)	(0.003)
charity	0.036	-0.033***	-0.036***	-0.016	0.007	0.020	0.022	-0.006	-0.006	-0.006*
	(0.033)	(0.011)	(0.012)	(0.015)	(0.017)	(0.016)	(0.015)	(0.004)	(0.004)	(0.004)
Constant	0.996***	0.446***	0.546***	0.618***	0.355**	0.352***	0.374***	-0.006	-0.006	0.008
	(0.289)	(0.108)	(0.115)	(0.128)	(0.145)	(0.133)	(0.129)	(0.018)	(0.018)	(0.023)
Observations	308	308	308	308	308	308	308	308	308	308
R-squared	0.053	0.067	0.068	0.047	0.033	0.058	0.055	0.027	0.027	0.029

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisk denote significance levels: *** p<0.01,

** p<0.05, * p<0.1

Table C5: Regression analysis for the R vs B comparison (replication).

VARIABLES	(1) giving (<i>g</i>)	(2) selfish (<i>g</i> =0)	(3) t.selfish (<i>g</i> ≤0.5)	(4) 2t.selfish (<i>g</i> ≤1)	(5) egalitarian (<i>g</i> =2.5)	(6) t.egalitarian (2≤ <i>g</i> ≤3)	(7) 2t.egalitarian (1.5≤ <i>g</i> ≤3.5)	(8) saint (<i>g</i> =5)	(9) t.saint (4.5≤ <i>g</i> ≤5)	(10) 2t.saint (4≤ <i>g</i> ≤5)
R	-0.545*** (0.149)	0.113** (0.053)	0.171*** (0.057)	0.215*** (0.064)	-0.169** (0.070)	-0.200*** (0.067)	-0.188*** (0.065)	-0.015 (0.018)	-0.015 (0.018)	-0.027 (0.021)
Westfall and Young p-value	0.002	0.102	0.026	0.012	0.066	0.026	0.032	0.354	0.358	0.314
age	0.010* (0.005)	-0.003 (0.002)	-0.003 (0.002)	-0.004* (0.002)	0.005* (0.003)	0.005** (0.002)	0.004* (0.002)	0.000 (0.000)	0.000 (0.000)	-0.000 (0.001)
female	-0.178 (0.147)	0.061 (0.055)	0.019 (0.058)	0.014 (0.064)	-0.030 (0.071)	0.047 (0.066)	0.021 (0.065)	-0.026* (0.015)	-0.026* (0.015)	-0.035** (0.017)
education	0.044 (0.058)	-0.017 (0.022)	-0.030 (0.023)	-0.008 (0.024)	0.002 (0.026)	-0.007 (0.025)	0.001 (0.025)	0.007 (0.007)	0.007 (0.007)	0.007 (0.007)
SES	0.029 (0.058)	-0.011 (0.024)	-0.007 (0.024)	0.002 (0.024)	-0.006 (0.025)	-0.018 (0.024)	-0.009 (0.024)	0.006 (0.004)	0.006 (0.004)	0.007 (0.004)
charity	0.010 (0.045)	-0.025 (0.015)	-0.027 (0.017)	-0.010 (0.020)	-0.005 (0.022)	0.016 (0.021)	0.020 (0.020)	-0.009 (0.006)	-0.009 (0.006)	-0.011* (0.006)
Constant	1.445*** (0.350)	0.357*** (0.134)	0.422*** (0.140)	0.387** (0.152)	0.464*** (0.176)	0.571*** (0.156)	0.595*** (0.154)	-0.007 (0.021)	-0.007 (0.021)	0.018 (0.032)
Observations	205	205	205	205	205	205	205	205	205	205
R-squared	0.095	0.064	0.088	0.077	0.048	0.088	0.070	0.036	0.036	0.043

Note: Linear regression estimates. Robust standard errors in parentheses. Asterisk denote significance levels: *** p<0.01, ** p<0.05, * p<0.1

Appendix D: Instructions in the survey experiment

Subjects were randomly assigned to one of the three treatments: Hypothetical (H), Imagine (I) and Not Real (NotR). The instructions were as follows:

Hypothetical (H)

Part I: Read the following instructions

There are £5 (in 10 coins of 50 pence) provisionally allocated to you and another person. Your task is to divide this amount of money between the two of you, assigning one portion to yourself and the other portion to the other person, such that the total adds up to £5. Any division — even one where one person receives nothing — is acceptable.

There are no right or wrong answers, and the money is **hypothetical**. Please make the decisions as if they were real.



Imagine (I)

Part I: Read the following instructions

Imagine a situation where £5 (in 10 coins of 50 pence) are provisionally allocated to you and another person. Your task would be to divide this money between the two of you, assigning one portion to yourself and the other portion to the other person, so that the total adds up to £5. Any division — even one in which one person receives nothing — would be acceptable.

There are no right or wrong answers.



Not Real (NotR)

Part I: Read the following instructions.

There are £5 (in 10 coins of 50 pence) provisionally allocated to you and another person. Your task is to divide this amount of money between the two of you, assigning one portion to yourself and the other portion to the other person, such that the total adds up to £5. Any division — even one where one person receives nothing — is acceptable.

There are no right or wrong answers. Unfortunately, the money you earn is **not real**, but please make your choices as you would if the money were real.



After this screen, follow the different questions made to subjects.

Likely

Before making the decision:

How likely do you think it is that either you or the other person will actually receive real money from this allocation task?

Please answer on a scale from 0% to 100%, where 0% means "absolutely no chance" and 100% means "completely certain".

0 10 20 30 40 50 60 70 80 90 100



Guess

In addition, you now have the chance to earn up to £1 more. Here's how it works. We just asked you: *"How likely do you think it is that either you or the other person will actually receive real money from this allocation task?"*

We asked the same question to many other participants like you. **Now, your task is to guess:** What percentage was the most common answer among all participants?

If you correctly guess the most frequent answer, you will receive £1. If you fail by $\pm 10\%$ you will receive £0.50.

The most common percentage was:



Decision: giving

Now make your decision.

Please indicate how much of the £5 you would like to send to the other person:

☐ £0

☐ £0.5

☐ £1.0

☐ £1.5

☐ £2.0

☐ £2.5

☐ £3.0

☐ £3.5

☐ £4.0

☐ £4.5

☐ £5.0



Attention question:

Please select "Strongly agree" to show you are paying attention to this question.

☐ Fully agree

☐ Strongly agree

☐ Agree

☐ Indiferent

☐ Disagree

☐ Strongly disagree

☐ Fully disagree



Appendix E: Additional analysis and figure – second-order beliefs

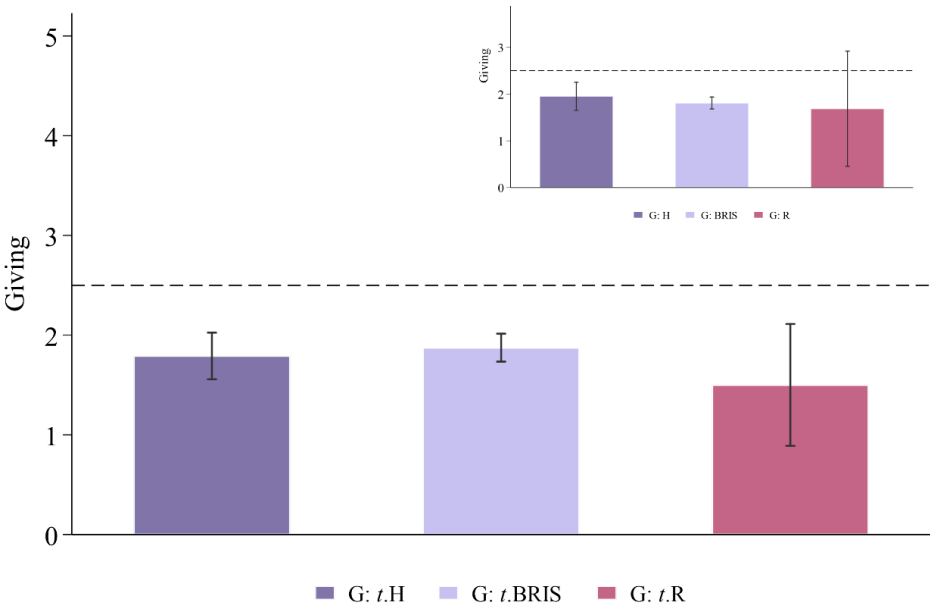


Figure E1: Average ($\pm 95\%$ CI) giving by types of guessed modal real-payment likelihood (second-order beliefs)